

Generalizing Data to Provide Anonymity when Disclosing Information (4)

Topics:

1. Time management
2. Domain generalization hierarchy

Topic 1: Time management

- Emails
 - Google: “How to Read 100 Emails, Fast”
 - Check email once a day
 - Group emails
 - Reply to all the short emails - first with "yes" or "no" as an answer
 - Write brief emails
 - Long emails -> tasks -> must be prioritized

Review: K-anonymity

Definition 3.1 (*k*-minimal generalization – wrt a quasi-identifier) Let T_i and T_j be two tables such that $T_i \leq T_j$. T_j is said to be a *k*-minimal generalization of a table T_i wrt to a quasi-identifier QI iff:

1. T_j satisfies *k*-anonymity wrt QI
2. $\forall T_z : T_i \leq T_z, T_z \leq T_j, T_z$ satisfies *k*-anonymity wrt $QI \Rightarrow T_z[QI] = T_j[QI]$.

- (1) k-anonymity
- (2) Minimal **Question:** (why minimal matters?)

Topic 2: Domain generalization hierarchy

Why we need a domain generalization hierarchy?

We have many generalization solutions, for example:

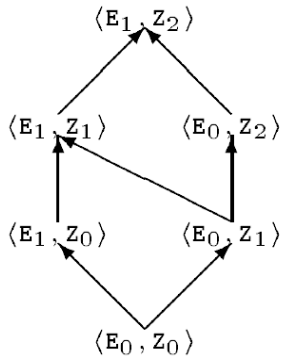


Figure 3: Examples of generalized tables for PT

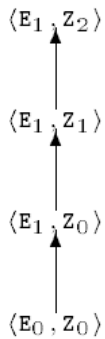
- Motivations of using domain generalization hierarchy:
 - Can we represent relations between these generation solutions?
 - The definition of k-minimal generalization depends on k value. Can we find an approach that is independent of k value?
 - How can we show generalization strategies or different ways of generalizing a DB?

Note: some generalizations are minimal some are not wrt quasi-identifier.

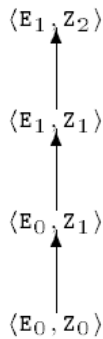
- Walk through this example:



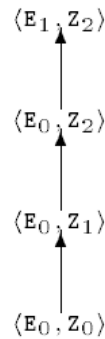
low usability, high privacy



GS₁



GS₂



GS₃

high usability, low privacy

- The number of different possible strategies for a domain hierarchy

Theorem 3.2 Let $DT = \langle D_1, \dots, D_n \rangle$ be a tuple such that $D_i \in \text{Dom}, i = 1, \dots, n$. The number of different strategies for DT is: $\frac{h_{DT}!}{h_1! \dots h_n!}$, where each h_i is the length of the path from D_i to the top domain in DGH_{D_i} and $h_{DT} = \sum_{i=1}^n h_i$. □

$DT = (D_1, \dots, D_n)$

e.g., $DT = (E_0, Z_0, E_1, Z_1, \dots)$