

## Scheduling independent tasks of a meta tasks with significant task dispatch times

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In this short report we introduce a novel heuristic called Earliest Finish Times with Deadlines (EFT-DT) to schedule independent tasks of a meta-task onto a network of heterogeneous processors to minimize the makespan of the meta-task.

In grids a centralized scheduler may make all scheduling decisions with respect to independent tasks. The mapping of tasks onto processors requires time to dispatch the task from the scheduler onto a processor. Previous works related to scheduling independent tasks of a meta-task onto a network of heterogeneous processors, the dispatch times of the tasks have not been considered in making scheduling decisions. The Sufferage, Min-Min and the Min-Max algorithms assume a zero dispatch time in their scheduling model. In this paper, we introduce a novel heuristic to schedule independent tasks of a meta-task onto a network of heterogeneous processors considering the dispatch times of tasks.

In the EFT-DT algorithm, the priority of a task is defined as the sum of its mean execution time over all the processors and the standard deviation of its execution time over all the processors. At each scheduling step, EFT-DT picks the task with the highest priority and schedules it onto a processor that provides its earliest completion time. The completion time of task on a processor is defined as  $CT(t_k, p_j) \leftarrow \text{Max}\{T\_available(p_j), D_{kj}\} + W_{k,j}$  to account for the dispatch times.

**Table 1:** Definition of Terms

<b>Term</b>	<b>Definition</b>
$T$	Meta-task set of size $s$
$M$	Set of processors available for scheduling
$m$	Number of processors
$mean_k$	Mean execution time of task $t_k$ over all the processors
$std_k$	Standard deviation of the execution times of task $t_k$ over all the processors
$T\_available(p_j)$	Time at which processor $p_j$ can start execution of a new task.
$W_{k,j}$	Running time of task $t_k$ on processor $p_j$ .
$D_{kj}$	Time required to dispatch task $t_k$ from the scheduler to processor $p_j$
$CT(t_k, p_j)$	$= T\_available(p_j) + D_{kj} + W_{k,j}$ // Execution completion time of task $t_k$ on processor $p_j$ .
$ECT(t_k)$	$= \text{Min}_{k \in T \& j \in M} \{ CT(t_k, p_j) \}$ // Earliest Completion time of task $t_k$
$Proc(t_k)$	The processor on which $ECT(t_k)$ is obtained

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EFT-DT Algorithm
For all  $t_k \in T$ 
   $priority(t_k) \leftarrow mean_k + std_k$ 
End For
While  $T \neq \Phi$  do
  Pick a task  $t_k \in T$  with the highest priority
    For all  $j \in M$ 
       $CT(t_k, p_j) \leftarrow Max\{T\_available(p_j), D_{kj}\} + W_{kj}$ 
    End For
     $ECT(t_k) \leftarrow Min_{k \in T \& j \in M}\{ CT(t_k, p_j) \}$ 
    Compute  $Proc(t_k)$ 
    Assign  $t_k$  to  $Proc(t_k)$ 
     $T\_available(Proc(t_k)) \leftarrow ECT(t_k)$ 
     $T = T - \{t_k\}$ 
  End While
End EFT-DT

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**Figure 1:** The EFT-DT Algorithm

EFT-DT takes  $O(s)$  to compute the priorities of all the tasks and  $O(s \times m)$  to calculate the earliest completion times of the tasks. Thus the overall complexity is  $O(s \times m)$ .